

Flexible head, designed for measuring residual stress along variable curves using ultra-sonic transducers

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Abstract. Ultra-sonic measure of residual stress has been along for a while. One main drawback of this technique is the need for a measuring head adapted to each new surface shape. We introduce a new measurement head designed to adapt to changing curves. This device will open the possibility of curved surfaces residual stress cartography. We focus on the device geometric design, its possibilities and limitations.

A device to measure stress along variable curves.

Fig. 1 shows a classical ultra-sonic measuring chain that could allow stress measurement on variable curves. It is the same as those used with flat parts or regular cylinders, like detailed in [1] to [5]. The difference is a special head that will adapt to variable curves shown in Fig. 2.

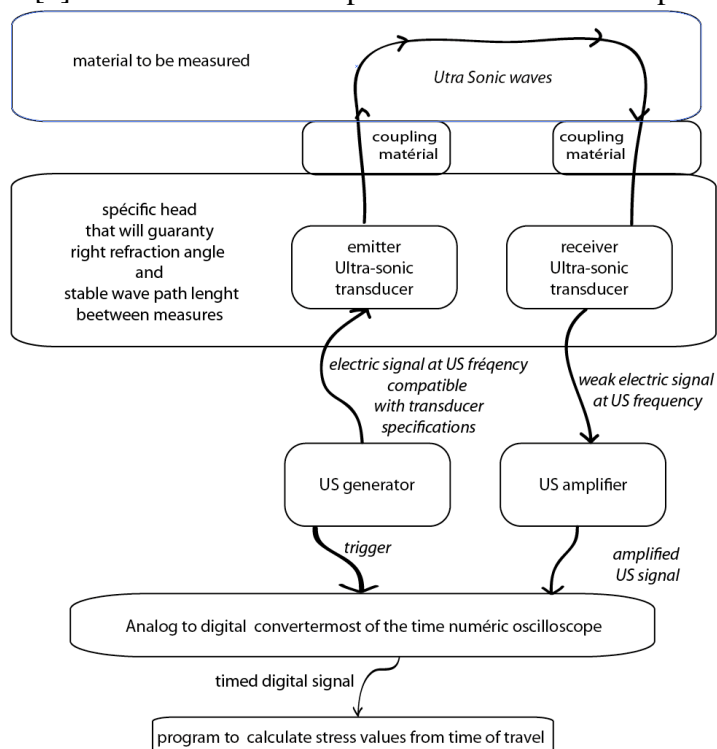


Fig 1 Ultra-sonic measuring chain

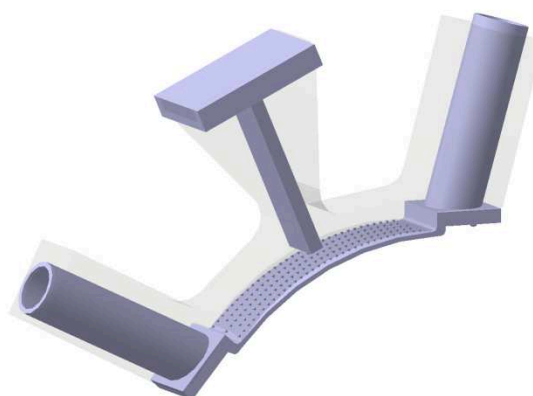


Fig 2 Special head.

The changing curve problem

Devices used to hold piezo transducers while measuring residual stress with ultra-sonic method shall ensure that wave path length both into coupling fluid and along measured part surface, between the emitting and receiving transducers, keep the same between measures. That will guaranty that the sole variable parameter will be the time of flight of ultra-sonic signal into the

studied material induced by stress variation between measurement points. Solid transducer holders can guaranty that while measuring along flat or regularly rounded surfaces. But so far, no device existed that was able to keep theses wave path length correctly, while measuring along variable curves. The absolutely ideal device would guaranty that the three parts of the wave path, from transceiver to receptor into water, then metal, then water, keep exactly the same between two measures. To solve that, it should fulfill three main requirements for each measurement point:

- Guarantying that wave path length (D in Fig. 3) in between transducer and metal surface into water remain the same.
- Guarantying that surface wave path length along material surface (CL_p in Fig. 3) remains the same.
- Guarantying that the local surface to transducer incidence angle (α in Fig. 3) conforms to expected refraction angle between coupling material and measured material.

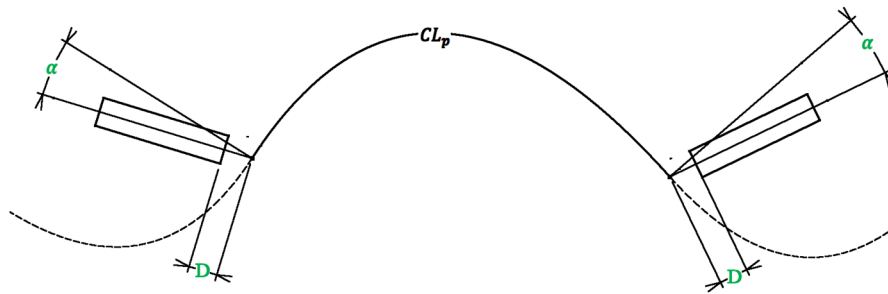


Fig. 3 Geometric constraints to fulfill (transducers shown as rectangles).

Device to adapt to curve variation

The device shown on Fig. 2, designed to fulfill these three requirements is made as follows:

- Two transducers holders made of a tube extended by a contact system that guaranty stable distance and contact angle between transducer surface and material surface along curves.
- A thin strip that has to be kept in contact with the material surface along the path of the wave. It guaranty stable surface distance between transducers whatever is the surface curve.

System limitations

Limitations are mainly due to geometric considerations of two kinds. One has to do with the local point of contact distance variation in between transducer and metal surface due to the very local variation of surface curve as illustrated in Fig. 4 and 5. The other is linked to the difference in between the actual length of the strip that maintains distance between transducer and the real path of the wave. Here again that difference vary with the curve as illustrated in Fig. 6.

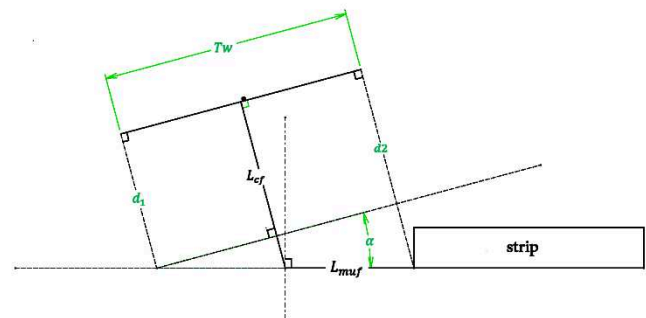


Fig. 4 Flat part case.

In Fig. 4, flat part case, correct angle α is maintained while pressing the system along part surface in order to maintain a set of two touch-points in contact with the measured part surface. Respective distances from transducer to points of contact are named d_1 and d_2 and inter-touch point width at transducer level named Tw . The difference between d_1 and d_2 , used to maintain correct refraction angle, α from transducer surface to part surface is calculated as follows:

$$d_2 = d_1 + Tw \cdot \tan \alpha \quad (1)$$

Value of a is equal to R , and b is found by:

$$b = \cos \beta \cdot R. \quad (9)$$

\hat{A} angle, and length a and b being given, we can now use “side to sinus angle ratios” in Fig. 5 indigo triangle:

$$\frac{a}{\sin \hat{A}} = \frac{b}{\sin \hat{B}} = \frac{c}{\sin \hat{C}}, \quad \sin \hat{B} = b \cdot \frac{\sin \hat{A}}{a}, \quad \hat{B} = \sin^{-1} \left(b \cdot \frac{\sin \hat{A}}{a} \right). \quad (10,11,12)$$

Using sum of angles into triangles \hat{C} will be:

$$\hat{C} = \pi - (\hat{A} + \hat{B}). \quad (13)$$

And now that we got \hat{C} we can use again “side to sinus angle ratios” for c :

$$c = a \cdot \frac{\sin \hat{C}}{\sin \hat{A}}. \quad (14)$$

The direct wave path lengths formulas for NL_{cf} and NL_{muf} with Tw , d_1 , α and R as entry points will be deduced by successive replacements of previous formulas :

$$NL_{cf} = L_{cf} - c = d_1 + \frac{Tw}{2 \cos \alpha} \cdot \sin \alpha - R \cdot \frac{\sin \left(-\sin^{-1} \left(\sqrt{1 - \left(\frac{Tw}{2R \cos \alpha} \right)^2} \cdot \sin \alpha \right) \right)}{\sin \alpha}. \quad (15,16)$$

NL_{cf} being established we still have to find NL_{muf} . It is function of angle \hat{C} & β and radius R through the following angle-to-arc-length relation :

$$NL_{muf} = (\beta + \hat{C}) \cdot R. \quad (17)$$

$$NL_{muf} = \left(\sin^{-1} \left(\frac{Tw}{2R \cos \alpha} \right) - \sin^{-1} \left(\sqrt{1 - \left(\frac{Tw}{2R \cos \alpha} \right)^2} \cdot \sin \alpha \right) \right) \cdot R. \quad (18)$$

Curve effect on variation of strip length by comparison to real wave path length.

The specially designed head use a thin strip. That strip is designed to be thin enough in order to be closely maintained against the surface of part to be measured. That way the strip length will reflect the length of wave path next from surface under it. Since the strip has a certain thickness named h on Fig. 6, while bent, the side positively bent extends and the other one retract. Strip neutral fiber length, L_n keeps the same. The actual length of the part that is next from the surface L_s will vary according to radius R of local curve under the strip like follows with sign being minus for bumps and plus for holes:

$$L_s = L_n \pm \frac{L_n h}{2R + h}. \quad (19)$$

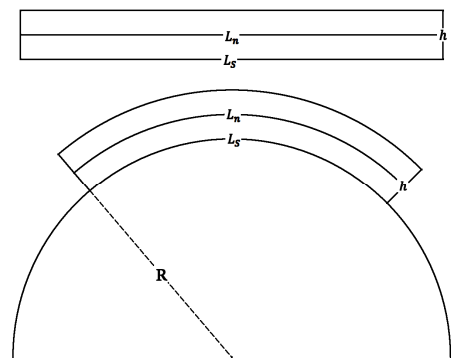


Fig. 6 Curve effect on variation of strip to real path distance ratio.

Total corrected wave path lengths in coupling fluid and material

By the end two values are calculated. CL_{cf} is the total corrected wave path length into coupling fluid, and CL_p is the total corrected wave path length into measured part. CL_{cf} is the sum of wave path length in coupling fluid for each transceiver, at each side of the device $NL_{cf(1)}$ and $NL_{cf(2)}$. Its formula is:

$$CL_{cf} = NL_{cf(1)} + NL_{cf(2)} . \quad (20)$$

CL_p is the sum of wave path length into material under fluid for each transceiver, $NL_{muf(1)}$ and $NL_{muf(2)}$, at each side of the device, plus the actual length of the part that is next from the surface of the strip L_s .

$$CL_p = NL_{muf(1)} + NL_{muf(2)} + L_s . \quad (21)$$

When calculating time of travel, these values will be used with measured part material and coupling fluid accousto-elastic constants in order to correct total time of flight value.

Ultra-sonic wave refraction angle variation induced by local radius variation.

Fig. 7 is issued from Fig. 6 and shows how part local radius influences wave incidence at interface in between coupling fluid and part surface.

New incidence angle, α_n will be function of original one, α and radius, R .

$$\alpha_n = \hat{B} . \quad (22)$$

$$\alpha_n = \sin^{-1} \left(\sqrt{1 - \left(\frac{Tw}{2R \cos \alpha} \right)^2} \cdot \sin \alpha \right) . \quad (23)$$

That angle variation will mainly have an impact on quantity of energy transmitted from emission to reception transducers.

Thermal considerations

Temperature has an impact on measure accuracy. Depending on strip material dilatation coefficient, an error can be generated. If strip material dilatation coefficient is similar to measured material one, this error is kept to a minimum since both materials behave the same. Otherwise error coefficient, ε , is proportional to ratio between the strip material and measured part material ones, α_s and α_p :

$$\varepsilon = \frac{\alpha_s}{\alpha_p} . \quad (24)$$

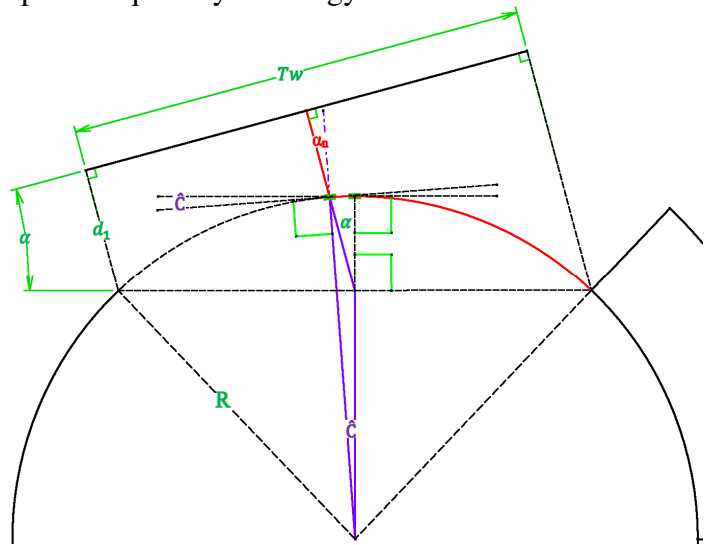


Fig. 7 Radius influence on wave incidence at fluid to part interface.

That known, for measures to be as accurate as possible, both part and device temperature should be kept the same along measuring campaign. Difference in thermal dilatation coefficient between measuring head and part has then no impact on relative results between measurements.

Conclusion: future steps toward validation

Our first prototype was too rigid. We will build a new one, flexible enough to allow our proposed geometric correction factors to be realistic. That one build we will have to validate our calculus by using it upon parts presenting known stress values. Calculus show that with wave speed travel of 5930 m.s^{-1} in steel and a measuring range of 30 m.s^{-1} being equivalent to 420MPa range, for inter-transducers distance of 100 mm, a distance variation of 0.5 mm would cover the whole range. Hence to achieve a 10 points resolution along our range we should know inter-transducer distance with an accuracy of 0.05 mm. This seems achievable at first sight by using proposed geometric correction method.

Perspectives: getting to a complete residual stress cartographic device

We saw that main system drawbacks are errors induced by geometrical variations of wave path length both into coupling fluid and into material due to surface curve. Since ultra-sonic measuring system rely on wave time of travel variations according to stress variations, wave path length should be kept the same in between measures. However we saw that this is not achievable. Our system could only get usable if used with solution for aggregating data points and establish a map of local curves precise enough to correct time of flight measures using the relations we established between known device geometric informations and their impact on device size variation. If changes in wave time of flight due to corrected wave path length prove to be accurate enough for being negligible against changes in wave time of flight dues to stress variation, then we would achieve correct measurement.

Even that provided, aggregation of stress data is more complex that mapping found stress values to points of measure since the raw values that are given back by the system do not reference points but strips along material surface. A new treatment of strip position and orientation and stress value given for each position has to be conducted in order to get back to actual stress map of material surface. This system will require our special measuring head to be adapted to a commercial 3D measurement device in order to aggregate the following parameters XYZ position of head, strip orientation along surface, and average stress value along strip. Such a system has been patented [6] by authors.

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