Investigations of residual stress distributions in retained austenite and martensite after carbonitriding of a low alloy steel

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Abstract. Specimens of low alloy steel were carbonitrided under different conditions to attain varying levels of carbon and nitrogen contents. The residual stress depth distribution was evaluated in martensite and retained austenite by X-ray diffraction. Beside standard evaluations, triaxial residual stress states with $\sigma_{33}\neq 0$ in both phases were also considered. High values of residual stresses in both phases were observed. The sign, magnitude and location of maximum compressive residual stresses were greatly influenced by the level of carbon and nitrogen contents.

Introduction

The carbonitriding process is the modified form of carburizing [1] during which ammonia gas is added into the carburizing atmosphere. The main advantage of this process in comparison to carburizing is the rapid diffusion of carbon (C) and nitrogen (N) as well as the formation of high compressive residual stresses (RS) in the case. High compressive RS and hardness enhance the fatigue properties of components like shaft, gear and bearing and improves resistance to wear, bending fatigue, and rolling fatigue [2]. In recent years, several studies [3, 4] have focused on the investigation of carbonitriding process and the resulting residual stresses (RS) in the case. Even though to date, still nearly all published data on RS belong to martensite/bainite phase and only little information on retained austenite (RA) residual stress state in carbonitrided specimens is available. Nowadays, however, the trend is toward retaining high percentage of austenite in the case aiming at improved contact, bending and impact fatigue. It is evident that due to high amount of RA (>30 Vol. %), the sign, magnitude and distribution of RS in both martensite and RA phase will be influenced and such influences may affect the mentioned properties [5]. Therefore, the RS in martensite and in austenite have to be considered. Varying the level of C+N content in solution affects not only the amount of RA but also the magnitude and distribution of RS. Therefore, a need arises for thorough understanding the effect of different level of C and N contents on the sign, magnitude and distribution of RS. Moreover, it is still unclear whether the residual stress state measured by laboratory XRD in a multiphase material is a plane stress state due to the low penetration depth, or if a triaxial residual stress state with $\sigma_{33}\neq 0$ of opposite signs is present in the phases that compensate each other to macroscopic $\sigma_{33}=0$ [6].

In the present work, carbonitrided specimens made of steel grade 18CrNiMo7-6 were investigated in terms of RS distribution in both martensite and RA phases according to the standard $\sin^2\!\psi$ method. Beside standard evaluations, triaxial evaluations of residual stresses with $\sigma_{33}\neq 0$ in both phases were also considered by using different strategies. Further, chemical and phase compositions were investigated.

Materials and methods

The material investigated in this study was a steel grade 18CrNiMo7-6 with following chemical composition: Fe-0.157C-1.63Cr-1.57Ni-0.52Mn-0.26Mo-0.27Si-0.03S-0.02Al in Mass.-%. Samples with a diameter of 34 mm and a thickness of 8 mm were prepared and then carbonitrided. The initial microstructure consists of ferrite + pearlite. Two carbonitriding experiments were carried out. In the first condition (*CNI*), the reached surface composition was 0.56 Mass.-% C and

0.4 Mass.-% N and in the second condition (*CN2*), the surface composition was 0.87 Mass.-% C and 0.34 Mass.-% N. After carbonitriding, specimens were quenched into oil held at 60 °C.

Retained austenite analysis. The determination of the amount of RA was performed by a D8-Diffractometer and a Vantec-1 Bruker-AXS position sensitive detector. For the measurements, Co-K α radiation produced by a rotating anode with voltage of 35 kV and a current of 40 mA was used. The measurements were performed by continuous scanning modus with a detector window of 5°. The scanned range was from 42° to 145° in 20 with a scan speed of 0.1° per second. The evaluation of the data was performed using the Rietveld Method (Topas 4.2, Bruker-AXS) using a fundamental parameter approach after instrument description by measuring LaB₆ reference.

Standard residual stress analysis. The investigation of residual stresses by the $\sin^2 \psi$ method was done using a diffractometer of type MZ VI E (*GE Inspection technology*) with a PSD detector. The measurements were performed in martensite/bainite {211} and RA {220} phase using Cr-K_α radiations and vanadium K_β filter. The Cr-radiation was produced using a sealed tube operated at 33 kV and 40 mA and a collimator with 2 mm diameter was used. The measurements were performed in a Chi-mode with tilt angles between -45° to +45° in 11 steps. For {211}, scan range was from 140° to 164° in 2θ with a scan speed of 0.006° per second. For {220}, the scan range was from 125° to 133° in 2θ with a scan speed of 0.017° per second. The peak position was determined by average gravity method after smoothing and linear background correction. The Young's modulus and Poisson coefficient used were 220 GPa and 0.28 for α{211} and 207 GPa and 0.28 for γ{220} [7]. In order to establish the depth profiles for RA and RS, X-ray measurements were conducted at different pre-selected depth after electro-polishing. The electro-polishing was carried using an electrolyte solution containing 80% H_3PO_4 and 20% H_2SO_4 . Correction of layer removal was performed at each depth according to Moore and Evans [8].

Evaluation of triaxial stresses. The evaluation of residual stress measurements using the standard $\sin^2 \psi$ method is based on the assumption that a plane stress state with the normal component equal to zero ($\sigma_{33}=0$) is present due to low penetration depth of Cr-Kα radiation ($\approx 5 \, \mu \text{m}$). In a two-phase or multiphase material, σ_{33} as well as σ_{13} and σ_{23} can exist in the different phases as pseudo-macrostress (*RS 2nd Kind*). However, the evaluation of the σ_{33} component requires the precise knowledge of d_0 at each depth. In this work, (Eq. 1) was used to evaluate the σ_{33} in the individual phases (retained austenite and martensite) [6]. The stressed lattice spacing (d_+^k) of austenite and martensite was determined at each depth by individual peak γ{220} and α{211}/{112} refinement of diffraction patterns using the Rietveld Method (TOPAS).

$$\sigma_{33}^{k} = \frac{1}{(3s_{1}^{k} + 1/2s_{2}^{k})} \times \left[\left(\frac{d_{+}^{k} - d_{0}^{k}}{d_{0}^{k}} \right) - 2s_{1}^{k} \left(\sigma_{11}^{k} - \sigma_{33}^{k} \right) \right]$$
 (1)

k refers to the austenite or martensite phase, s_1 and $t_1/2s_2$ are the X-ray Elastic Constants dependent on the interference plane and material phase, t_1 and $t_2/2s_2$ are the X-ray Elastic Constants dependent on the interference plane and material phase, $t_2/2s_2$ are the X-ray Elastic Constants dependent on the interference plane and material phase, $t_1/2s_2$ are the X-ray Elastic Constants dependence of $t_1/2s_2$ and $t_2/2s_2$ are the X-ray Elastic Constants dependence of $t_1/2s_2$ and $t_2/2s_2$ are the X-ray Elastic Constants dependence of $t_1/2s_2$ are the X-ray Elastic Constants dependence on the stress-free lattice plane obtained using the standard $t_1/2s_2$ are the X-ray Elastic Constants dependence on the stress-free lattice plane obtained using the standard $t_1/2s_2$ are the X-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic All the x-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic All the x-ray Elastic Constants dependence of the stress-free lattice plane, $t_1/2s_2$ are the X-ray Elastic All t

$$\sigma_{11}^{k} = \sigma_{22}^{k} = (\sigma_{11}^{k} - \sigma_{33}^{k}) + \sigma_{33}^{k}$$
 (2)

$$\sigma_{11}^{\text{macro}} = \sigma_{22}^{\text{macro}} = \sum (\sigma_{11}^{k} \times X^{k})$$
(3)

$$\sigma_{33}^{\text{macro}} = \sum (\sigma_{33}^{k} \times X^{k}) = 0 \tag{4}$$

 X^k is the fraction of the considered phase. In order to evaluate the σ_{33} component, two different strategies were used. First: Martensite and RA phase contain equal amount of C+N in solution equals to that of austenite before quenching. In this case, the C+N content in solid solution in the phases was estimated by setting a condition satisfying the boundary condition $\sigma_{33}^{\text{macro}} = 0$. The second strategy is: Martensite and RA phase contain different amount of C+N in solution. The difference in C+N in solution can occur due to autotempering effects during which RA can be enriched and martensite can be depleted of C+N in solution [11]. In this case, the relation $c/a=1+0.0099*X_{C+N}$ for martensite given in [9] was used to estimate the C+N in solid solution in martensite phase which was then fixed, whereas the C+N content in solution in RA phase was estimated by setting the condition satisfying the boundary condition $\sigma_{33}^{\text{macro}} = 0$.

Results and discussion

Initial results. The carbon and nitrogen depth profiles of the as-quenched specimens for both CN1 and CN2 conditions are shown in Fig. 1. The maximum concentration at a depth of 50 µm was 0.56 Mass.-% C and 0.4 Mass.-% N for CN1 and 0.87 Mass.-% C and 0.34 Mass.-% N for CN2. Moreover, in all specimens a depletion of alloying elements in the first 50 um of the case hardened layer which is associated to inter- and/or intra-granular oxidation and precipitates formation was observed by GDOES measurements. The depletion of alloying in this range may lead to bainitic transformation during quenching thereby reducing not only the hardness but also the level of compressive RS [12].

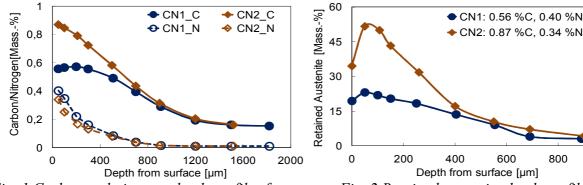


Fig. 1 Carbon and nitrogen depth profiles for both carbonitrided specimens (CN1, CN2) determined by SOES.

Fig. 2 Retained austenite depth profiles for both carbonitriding treatments (CN1, CN2) determined by XRD.

600

The retained austenite depth profiles determined by XRD after successive layer removal by electro-polishing are presented in Fig. 2. A maximum of about 23 and 51 Mass-% austenite at a depth of 50 µm was retained for CN1 and CN2 specimens respectively. In all cases, the highest amount of retained austenite occurred at a depth around 50 µm from the surface. Both specimens contain low value of RA in the first 50 µm which is attributed to subsurface oxidation and depletion of alloying elements. Beyond 50 µm, the decrease of retained austenite correlates well with the carbon and nitrogen depth profiles in Fig. 1. The high amount of retained austenite in this range is mainly associated to the stabilization effect of carbon and nitrogen, quenching rate, quenchant temperature as well as thermal stresses which increase the energy necessary as a driving force for martensitic transformation [13].

Evaluation of residual stresses using the standard sin² w method. In the first instance, the measurements of the principal stresses in martensite and retained austenite according to the sin²ψ method are given in terms of σ_{11} - σ_{33} . The RS depth distribution in martensite and retained austenite for CN1 and CN2 are given in Fig. 3. As seen from the figure, at all points the martensite phase is in higher compression in comparison to the retained austenite. The maximum compressive residual stress in the martensite phase is about -485 MPa at a depth of 550 µm for CN1 (Fig. 3a) and -439 MPa at a depth of 690 µm for CN2 (Fig. 3b). These values are in the same range as the

maximum compressive RS observed in [1] obtained after a survey of a number of carburized parts. Furthermore, both samples experienced less compressive residual stresses in the range of 50 to 400 µm which can be explained by the high amount of RA. In this range, it can be observed that higher compressive RS are present in the specimen CN1 with less RA (Fig. 3a) than in the specimen CN2 with high RA (Fig. 3b). Though it is to be expected that retained austenite in the case-hardness layer may be set in compressive residual stress due to phase transformation in the core and martensitic transformation in the case, yet the co-existence of high RA amount in the case minimizes the magnitude of compressive stresses in both martensite and RA phase as well as shifting the location of maximum compressive RS toward the case/core interface. In both conditions, the location of maximum compressive residual stress occurs in the range of 40 to 60 % of the total case depth ($\approx 1500 \mu m$) where the proportion of martensite to austenite is about 80 %. At this depth, the amount of C+N is about 0.5 Mass.-%. At depths between 400 and 600 µm, the amount of RA in both treatments are almost similar. However, the measured residual stresses are different. This can be attributed to the differences in C+N content in these layers (Fig 1) but also to the fact that the RS in these depths are influenced by the different RS in the upper layers (0 to 400 μm). At depth above 600 μm, almost identical C+N and RA profiles are obtained in both treatments and similar RS are present in martensite which both follow a comparable decrease. In the first 700 um (RA > 10 %), the macroscopic stresses are strongly influenced by the residual stresses present in austenite. Shifts of up to 60 MPa compared to the residual stresses in martensite are reached. Beyond 700 μm (RA < 10 %), the macroscopic stresses are assumed to correspond to that in martensite phase.

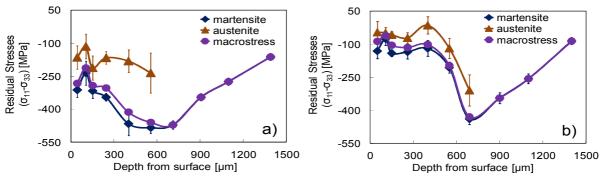


Fig. 3 Residual stress depth profiles obtained with the standard $\sin^2 \Psi$ method with σ_{33} =0: a) specimen with 0.56 %C, 0.4 %N (CN1); b) specimen with 0.87 %C, 0.34 %N (CN2).

Stressed and stress-free lattice spacings for the treatment CN2. The determination of triaxial stresses in retained austenite and martensite requires the precise knowledge of the stress-free lattice spacing at each depth which in turn is strongly influenced by the amount of carbon and nitrogen in solid solution. The carbon and nitrogen in solid solution in the phases were estimated as explained in section "evaluation of triaxial residual stresses" for the treatment CN2. Fig. 4 shows the estimated carbon + nitrogen content in solid solution in martensite and retained austenite as a function of depth for the two considered evaluation strategies. The determined C+N profile calculated with the first strategy considering equal C+N content in martensite and retained austenite is close to the profile measured using OES. In consideration of the second strategy (i.e. Martensite and RA phase contain different amount of C+N in solution) the amount of C+N in solid solution in RA is close to the OES values while the the C+N content in martensite is about 0.2 Mass-% lower, what could be attributed to self-tempering effects as already observed in the literature [11].

Fig. 5 presents the corresponding variation of calculated d₀ by taking into account the previously presented C+N profile together with the experimentally determined lattice spacings as a function of the depth. The stressed lattice spacing for RA (Fig. 5a) is considerably smaller in comparison to the two stress-free lattice spacings data sets; consequently retained austenite phase will be set in compression state. By contrast, the measured lattice spacing for martensite phase at each depth is larger (Fig. 5b) than the two stress-free lattices spacing data sets; as a result martensite phase will be set in tension state.

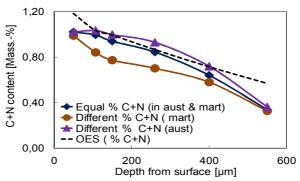


Fig. 4 C+N depth profiles in martensite and RA phase estimated using the boundary condition $\sigma_{33}^{macro} = 0$ considering the two conditions for CN2.

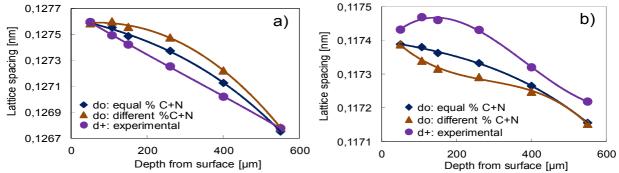


Fig. 5 Variation of calculated and experimentally determined lattice spacing for CN2: a) retained austenite {220}; b) martensite {211}

Triaxial residual stresses for the treatment CN2. Fig. 6 shows the calculated residual stress depth profiles. In consideration of the first strategy (equal % C+N in both RA and martensite phase), it can be seen that although the magnitude of σ_{11} and σ_{33} in both phases are slightly different, they exhibit similar distributions trends. Both RA and martensite phase experienced minimum residual stresses (≈ 0 MPa) at a depth of 50 μm. This can be explained by the high amount of retained austenite of about 51 Mass.-% (Fig. 2). In RA (Fig. 6a), the RS rise through compressive and reaches maximum close to -600 MPa at a depth of about 260 μm for σ_{11} and -530 MPa for σ_{33} . With increasing depth, the high compressive residual stresses decrease continuously. In martensite (Fig. 6b), the RS rise through tension and reach maximum nearby 200 MPa for σ_{11} and 280 MPa for σ_{33} both occurring at a depth of 100 μm. With increasing depth, both residual stress components decrease progressively and reach values close to 0 at 550 μm.

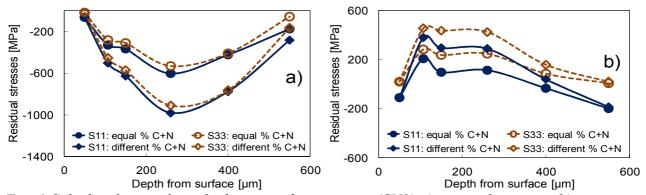


Fig. 6 Calculated triaxial residual stresses for specimen (CN2) a) retained austenite b) martensite. Assumptions: 1 – martensite and RA contain equal %C+N in solution; 2 – martensite and RA contain different %C+N in solution.

In consideration of the second strategy, similar trend of residual stress distribution with high maximum residual stresses can be observed. In this case, the maximum compressive RS determined for RA is -980 MPa for σ_{11} and -900 MPa for σ_{33} both at a depth of about 260 μ m. For martensite, maximum tensile stresses of 380 MPa for σ_{11} and 450 MPa for σ_{33} occur at a depth of 100 μ m. The

high magnitude of σ_{33} in *the second strategy* is associated to higher carbon/nitrogen values in RA and depletion in martensite [11]. The enrichment in RA leads to the increase in the stress-free lattice spacing which is why higher magnitudes of compressive RS were determined. On the other hand, the depletion in martensite leads to the decrease in the stress-free lattice spacing and therefore, high magnitudes of tensile RS are resulting.

Generally, the standard $sin^2\psi$ method utilizes the assumption of $\sigma_{33(pseudo, macro)}=0$ for the evaluation of RS in a monophase or multiphase material. The two strategies considered indicate however, the presence of high magnitude of σ_{33} of opposite signs in each phase. This in turn confirms that pseudo-macrostress σ_{33} should be considered during evaluation of RS in a multiphase material. However, under these two strategies there was no difference in macroscopic stresses ($\sigma_{11macro}$) as the boundary condition $\sigma_{33macro}=0$ was used and the values were identical to the ones determined using the standard $sin^2\psi$ method given in Fig. 3. If $\sigma_{33macro}$ is non-zero, differences in the macroscopic σ_{11} values could result.

Summary

In this work, residual stress depth profiles evaluated using the standard sin² ψ method are presented. The C+N content in solution highly influences the sign, magnitude and the distribution of RS. Low compressive residual stresses occur in the subsurface where the proportion of martensite to austenite is low while the maximum compressive RS occur at 40 to 60 % of the case depth where the proportion of martensite to austenite is high. Differences were measured between the RS in RA and martensite, so that macroscopic RS values were influenced. From these investigations, it appears that when the fraction of retained austenite is greater than 15 %, it is important to measure the RS in both phases in order to determine the macroscopic RS by considering the proportion of each phase.

In addition, different methods for evaluation of triaxial RS were presented. High compressive triaxial RS in RA and high tensile RS in martensite phase were observed, what confirms that even within the low penetration depth of Cr-ka radiation, non-zero σ_{33} components are present in both phases. The magnitude of RS in both phases is highly dependent on C+N in solid solution at each depth.

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